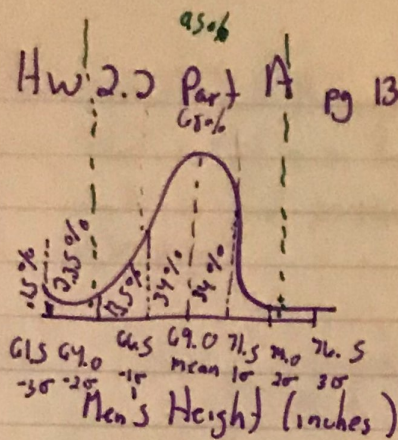


HW 2.2 Part A pg 131-132 41, 43, 45, 47, 49, 51

(41)



(43) a) 95% fall between -20 and 20 percent taller than 74 in
 $100 - 95 = \frac{5\%}{2} = 2.5\%$

approximately 2.5%

b) 64.0 and 74.0 inches

c) between 64 and 66.5 inches

$\frac{95\% - 68\%}{2} = \frac{27\%}{2} = 13.5\%$

d) Height of 71.5 has 84% of heights below it

84th percentile

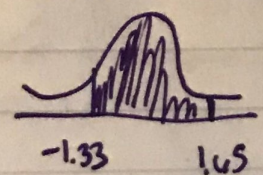
(45) The standard deviation is approximately 0.2 for the tall red curve. The standard deviation is approximately 0.5 for the short purple curve.

(47) a) $Z < 2.85 = .9978$ b) $Z > 2.85 = 1 - .9978 = .0022$

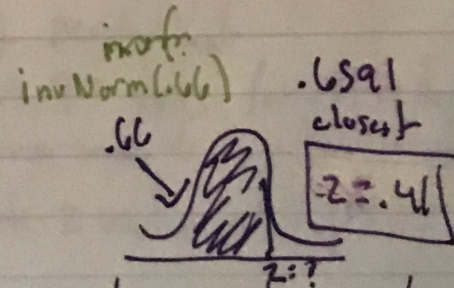
c) $Z > -1.66 = 1 - .0485 = .9515$

d) $-1.66 < Z < 2.85 = .9978 - .0485 = .9493$

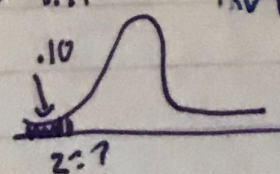
(49) a) $-1.33 < Z < 1.65 = .9505 - .0918 = .8587$



b) $.50 < Z < 1.79 = .9633 - .6915 = .2718$



(51) a) 10th percentile $Z = -1.28$

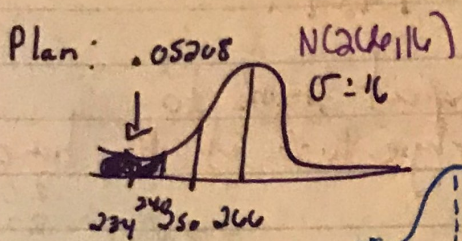


b) 34% observations greater is at 66th percentile

HW 2.2 Part B pages 132-133 prob 53, 55, 57, 59

53

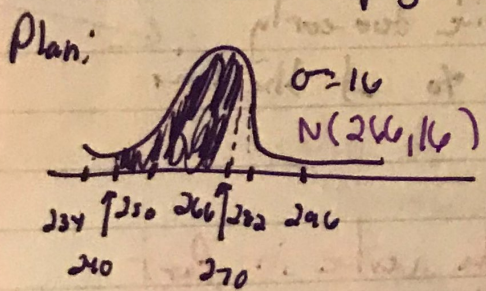
a) State: Let $x =$ length of pregnancies. X has $N(266, 16)$
 want to find percentile is a pregnancy that lasts 240 days.



Do: $x = 240$
 Normal cdf $(-1000, 240, 266, 16) = .05208$
 Area under curve = $.05208$
 $Z_{240} = \frac{240 - 266}{16} = -1.625 \approx -1.63$
 $Z_{.0516} = -1.63$

Conclude: About 5.2% of pregnancies lasts less than 240 days.

b) want % of pregnancies that last between 240 + 270 days

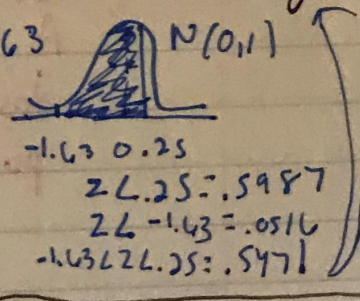


Do: Normal cdf $(240, 270, 266, 16)$
 area under curve = $.5466$

$Z_{270} = \frac{270 - 266}{16} = \frac{4}{16} = .25$

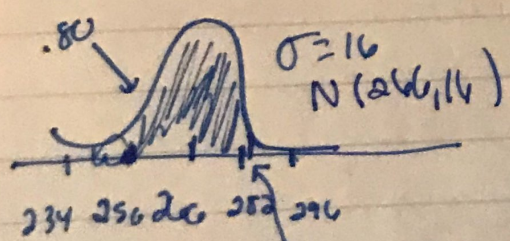
Conclude: About 55% last between 240 + 270 days.

$Z_{240} = \frac{240 - 266}{16} = \frac{-26}{16} = -1.625 \approx -1.63$



c) How long do longest 20% last?

Plan: Need to find 80th percentile to find longest 20%

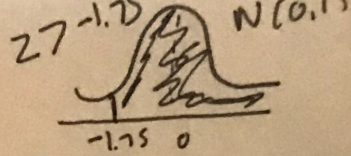


Inv Norm $(.80, 266, 16) = 279.4659$

Conclude: Longest 20% last about 279.47 days. (or 279.44 days) calculator answer table answer

proportion closest to .80 is .7995 which corresponds with z value of .84

$.84 = \frac{x - 266}{16}$
 $x = 279.44$



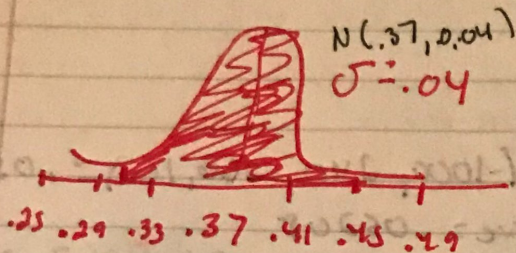
$$z_{.30} = \frac{.30 - .37}{0.04} = \frac{-.07}{.04} = -1.75$$

$$z_{1-.75} = .0401$$

$$z_{.75} = 1 - .0401 = .9599$$

(55) a) $N(.37, 0.04)$
 $x > .30$

$$\text{Norm CDF}(.30, 1000, .37, 0.04) = .9599$$



We would expect trains to arrive on time 96% of the time.

$$z_{1-.25} = .6745$$

$$z_{.75} = 1 - .0006$$

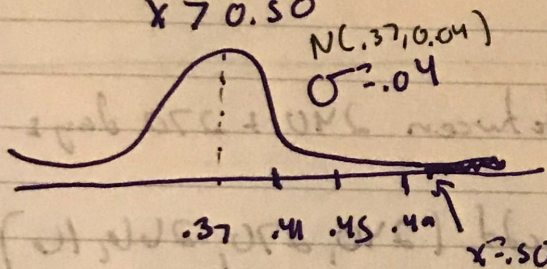
$$z_{.25} = 3.25$$

b) $N(.37, 0.04)$
 $x > 0.50$

$$z_{0.50} = \frac{.50 - .37}{.04} = \frac{.13}{.04} = 3.25$$

$$\text{Norm CDF}(.50, 1000, .37, 0.04) = .000577 \approx .06\%$$

We would expect the train to arrive too early about .06% of the time.



c) It would make sense to ^{try} have the value in part A be larger. We want the train to arrive at its destination on time, but not to arrive at the switch point early.