

HW S.2 Part B page 298 33-36 (Mc) pages 310-311 prob 49, 51, 53, 55

(33) D

(34) 82 73 47 14 90 20 46 77 75 11 C
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(35) $12/25$ C

(36) E

(49) a) The individuals are the students in the urban school
 The variables are: gender, whether or not they regularly eat breakfast

b) $P(\text{female}) = 275/595 = 55/119 \approx .46$

$P(\text{eats breakfast reg.}) = 300/595 = 60/119 \approx .50$

$P(\text{female who eats breakfast reg.}) = 110/595 = 22/119 \approx .18$

$P(\text{female or someone who eats breakfast reg.}) = \frac{275}{595} + \frac{300}{595} - \frac{110}{595} =$

$\frac{465}{595} = \frac{93}{119} \approx .78$

(51) a)

	Black Slot	Not Black Slot	Total
Even #	10	10	20
Not Even (odd)	8	10	18
Total	18	20	38

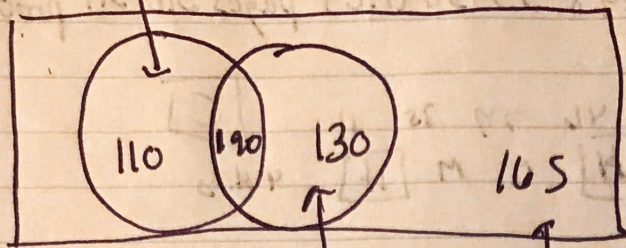
a) $P(B) = 18/38 = 9/19$
 $P(E) = 20/38 = 10/19$

c) "B and E" mean the ball lands on a black slot with an even #
 $P(B \text{ and } E) = 10/38 = 5/19$

d) $P(B \text{ or } E) \neq P(B) + P(E)$ b/c they are not mutually exclusive events, and we would count $P(B \text{ and } E)$ twice.
 $P(B \text{ or } E) = 18/38 + 20/38 - 10/38 = 28/38 = 14/19$

B: eats breakfast regularly

(53) A)



$$B) P(B \cup M) = P(B) + P(M) - P(B \cap M)$$

$$\frac{300}{595} + \frac{320}{595} - \frac{190}{595} = \frac{430}{595} = \frac{86}{119}$$

~~*~~ or add $\frac{110 + 190 + 130}{595} = \frac{430}{595} = \frac{86}{119}$ ~~*~~

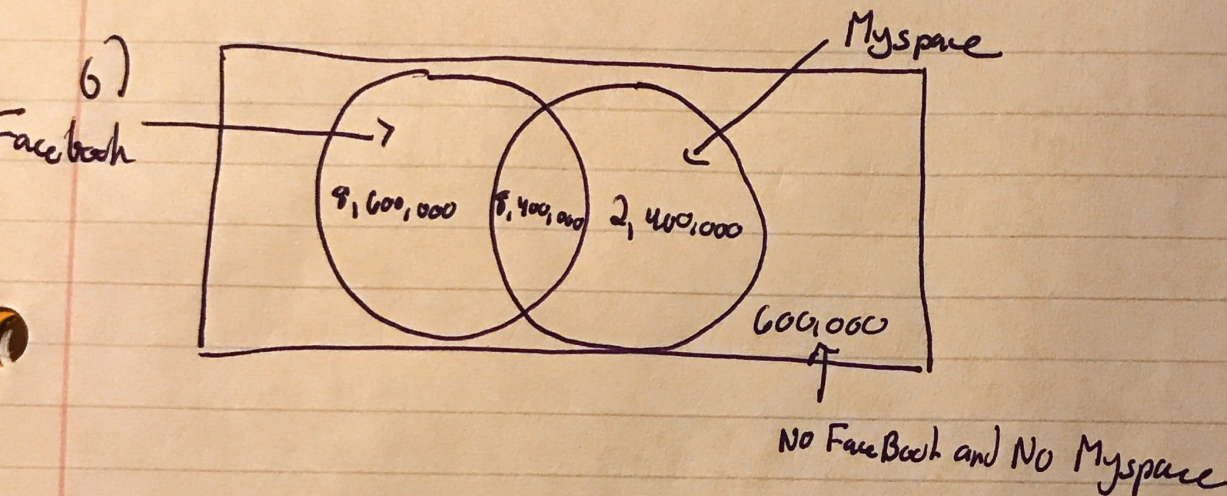
The probability of being male or someone who eats breakfast regularly, or both is $430/595$ ($86/119$)

$$c) P(B^c \cap M^c) = \frac{165}{595} = \frac{33}{119}$$

The probability of ~~not~~ not being a male and someone who doesn't eat breakfast is $165/595$ ($33/119$).

HW 5.2 Part B problems 33-36, 49, 51, 53, 55

(55) a)	Face Book	No Facebooks	Total
MySpace	42% 8,400,000	12% 2,400,000	54% 10,800,000
No MySpace	43% 8,600,000	3% 600,000	46% 9,200,000
Total	85% 17,000,000	15% 3,000,000	(100%) 20,000,000



c) $P(\text{Facebook or Myspace}) = P(\text{Facebook} \cup \text{Myspace})$

d) One method is to add all 3 parts of the Venn diagram for the Facebook only students, the students with both, and the Myspace only students.

$$\frac{8,600,000 + 8,400,000 + 2,400,000}{20,000,000} = \frac{19,400,000}{20,000,000} = \frac{97}{100} = .97$$

OR

$$P(\text{FB}) + P(\text{MySpace}) - P(\text{Facebook and Myspace})$$

$$\frac{17,000,000}{20,000,000} + \frac{10,800,000}{20,000,000} - \frac{8,400,000}{20,000,000} = \frac{19,400,000}{20,000,000} = \frac{97}{100} = .97$$